approximated (in the model assumed) by

$$\begin{array}{c|c} \lim & (\Delta E)^{-1} & \Sigma \\ \Delta E \to 0 & \text{states j} \\ & in \\ \Delta E \end{array} \right| C_{\ell,m}^t \; (j,k) \; \Big|^2 \; \times \; \text{constant}$$

for a single polarization and direction of the emitted x-ray. In this expression,

 $\ell = 1$ for K-emission (metal or non-metal)

2 for L-emission (metal)

1 for M-emission (metal),

 \underline{m} is determined by the x-ray polarization (assumed to be circular or parallel to the z axis), and the expansion coefficients $C_{\ell m}^{t}$ are those for the APW sphere t around the atom in which the transition occurs. For unpolarized x-rays averaged over all angles of emission, the expression becomes proportional to the "partial density of states,"

$$Z_{\ell}^{t}(E) = \sum_{\text{Sheets}} \iint \frac{dS_{j}}{\left| \sum_{k} E_{j}(k) \right|} \sum_{m} \left| C_{\ell,m}^{t}(j,k) \right|^{2},$$

which is just the expression for density of states except that

the contribution of each state is weighted by the L-component of its charge in the sphere t of interest [4]. This information is readily available from a self-consistent APW calculation.

The experimental data are reproduced in Fig. 8 and 9. In Fig. 10 is shown the decomposition of the $\text{Ti-L}_{\text{II.III}}$ emission from TiC, based on the assumption that the two components have the same shape and are separated in energy by the atomic Ti-L_{TT} , $\operatorname{Ti-L}_{\operatorname{III}}$ splitting. The experimental spectra are compared to the computed spectra (arbitrary units for both, no broadening included in the computed curves) in Fig. 11-13 for TiC and in Fig. 14-16 for NbC. In all cases, the calculated Fermi energy has been made coincident with the experimentally determined Fermi energy. For TiC, the curves are also shown with a relative shift of 0.6 eV from this position (dashed curves in Fig. 11 and 13, dot-dash in Fig. 12) which gives even better agreement. The shift to the dashed curve for $\mbox{Nb-M}_{\mbox{IV.V}}$ is to correct for a calibration error in Holliday's data, which was reported by Ramqvist, et. al. [25]. The agreement in all curves is seen to be excellent, if allowance is made for the broadening in the experimental data, which is not included in the theoretical curves.